

Post - Processing

There are several ways of post-processing the FE solution.

- What is post-processing?

Extracting useful information that the analyst wants. E.g. stresses, strains, max. deflection, support loads, etc.

- Why post-process?

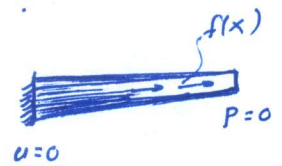
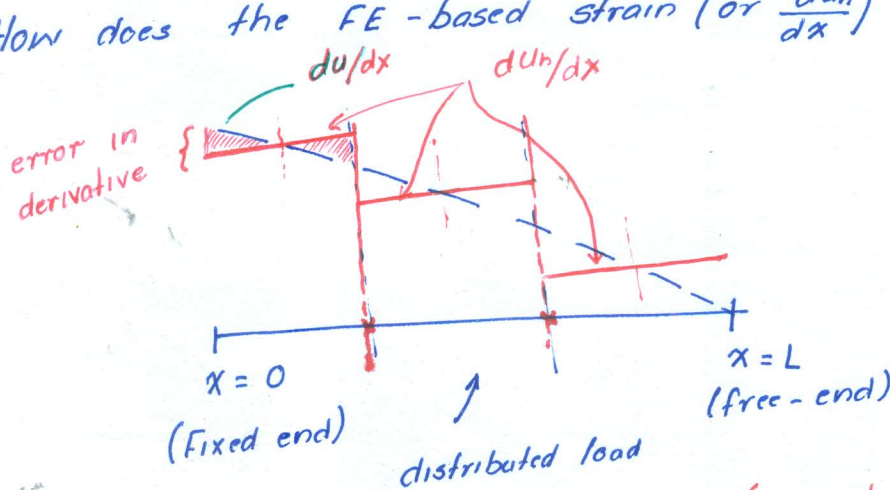
To make design/certification decisions.

- Can we use the FE results directly?

Yes - for displacement

No - for strains and stresses, as these jump at inter-element boundaries and hence can portray the wrong picture!

* How does the FE-based strain (or $\frac{du_n}{dx}$) do?

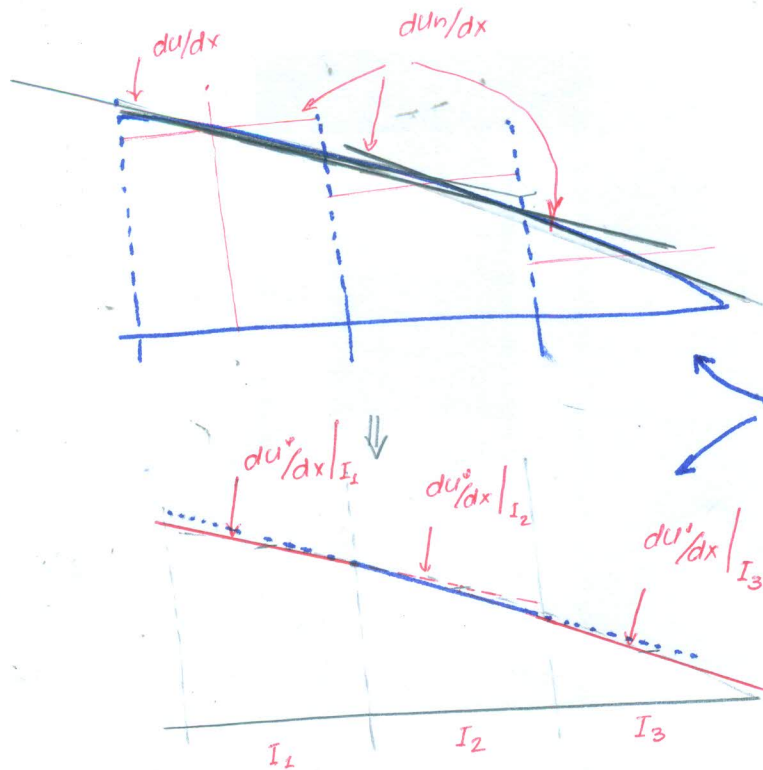


Linear approx. ($p=1$)

3 - element mesh (example)

- * Constant strain in each element
 - Strains from FE solution are "good" at the centre of the element (i.e. at $\xi=0$ in master element) \sim GAUSS INTEGRATION POINT (1-PT. RULE)!
 - strains from FE solution are "bad" at the nodes
 - FE strain at $x=0$ (i.e. boundary node) is bad - leading to bad prediction of reaction force there.

Can we do better?



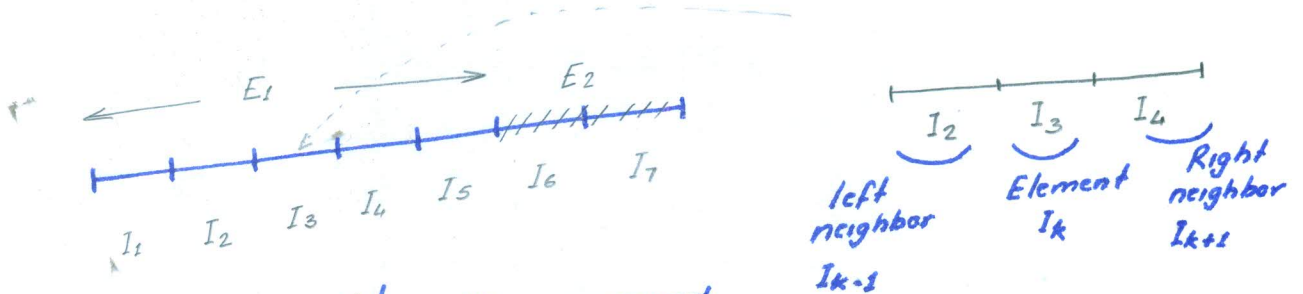
How to get better fits of $\frac{du^*}{dx}$ and/or F_{xx}^* ?



Zienkiewicz-Zhu recipe or patch-recovery scheme (Babuska, Strouboulis, CSU).

Basic Idea: Sliding averages or Least-square fit.

Let us take a generic mesh:



We want to find $F_{xx}^*|_{I_k}$ < i.e. recovered axial force >

$$F_x = EA \frac{du}{dx} \Rightarrow F_{xx}^*|_{I_k} = a_0^k + a_1^k x$$

⇐ i.e. choose it to be linear

If elements of order p , $F_{xx}^*|_{I_k} = \sum_{i=0}^p a_i^k x^i$

where a_i^k are coefficients corresponding to the "fit" for element I_k .

